| | Mathematics Department | | | |
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| Year 11 | Higher Curriculum Overview St | ubject: | Math | ematics |
| Year 11 Overview: In year 11 students build towards the final exam in Summer. Students are retrieving knowledge and skills learnt prior and begin looking at algebra proof. Topics at A-Level are introduced and some students are encouraged to take an additional GCSE in Further Mathematics. Mock exams take place near Christmas | | | | |
| Autu | mn Term | | | |
| | Outline of Key Learning | Hega Co | arty de | Lesson |
| Quad | ratics and Further Graphs (15) | | | |
| a. b. c. d. e. | Sketch a graph of a quadratic function, by factorising or by using the formula, identifying roots, y-intercept and turning point by completing the square Solve simultaneous equations graphically Expand the product of more than two linear expressions Solve linear inequalities in two variables graphically; Use iteration with simple converging sequences | 257, 218, 164, 273 - 32 | 898 219 166 276 2 | Sketching Equations Expanding Inequalities Iteration |
| Furth | er Trigonometry (13a, 13b) | | | Trigonomotru |
| a. | Recognise, sketch and interpret graphs of the trigonometric functions (in degrees) $y = \sin x$, $y = \cos x$ and $y = \tan x$ for angles of any size | 303 – | 305 | Graphs |
| b. | Apply to the graph of $y = f(x)$ the transformations $y = -f(x)$, $y = f(-x)$ for sine, cosine and tan functions $f(x)$ | 854 – | 862 | <u>Advanced</u> Trigonometry |
| C. | Apply to the graph of $y = f(x)$ the transformations $y = f(x) + a$, $y = f(x + a)$ for sine, cosine and tan functions $f(x)$ | | | Advanced |
| d. | Know and apply Area $=\frac{1}{2}ab$ Sin C to calculate the area, sides or angles of any triangle | 516 – | 519 | Trigonometry 2 |
| e. | Know the sine and cosine rules, and use to solve 2D problems (including involving bearings) and 3D problems | 531 – | 533 | <u>Advanced</u> Trigonometry |
| f. | Understand, recall and use trigonometric relationships and Pythagoras' Theorem in right- angled triangles, and use these to solve problems in 3D configurations | 854 - | 863 | and 3D |

Director of Mathematics: MFO



| Algebraic Fractions (17) a. Rationalise the denominator involving surds | 118, 119 | <u>Rationalise</u> Surds |
|--|------------------|-------------------------------------|
| b. Simplify algebraic fractions, multiply and divide algebraic fractions c. Solve quadratic equations arising from algebraic fraction equations d. Change the subject of a formula, including cases where the subject occurs on both sides of the formula, or as a denominator | 172, 187, 244 | <u>Algebraic</u> Fractions |
| e. Find f(x) + g(x) and f(x) – g(x), 2f(x), f(3x) etc algebraically; f. Find the inverse of a linear function g. For two functions f(x) and g(x), find gf(x) | 283 – 286 | <u>Change the</u> <u>Subject</u> |
| | 293 – 296 | Functions |
| Christmas Mock | | |





| Spring Term | | |
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| Outline of Key Learning | Hegarty Code | Lesson |
| Constructions, Loci and Bearings (8b) | | |
| a. Calculate bearings and solve bearings problems, including on scaled maps, and find/mark and measure bearings b. Use the standard ruler and compass constructions to; bisect a given angle, construct a perpendicular to a given line from/at a given point, construct angles of 90°, 45°, perpendicular bisector of a line segment c. Construct; a region bounded by a circle and an intersecting line, a given distance from a point and a given distance from a line, equal distances from two points or two-line segments, regions which may be defined by 'nearer to' or 'greater than' d. Use constructions to solve loci problems including with bearings | 492 - 496 869 661 - 663 664, 665 674 - 678 679 | Angles & Bearings Construction Loci |
| Vectors and geometric proof (18) | | |
| a. Represent vectors, combinations of vectors and scalar multiples in the plane pictorially | 622 - 627 | <u>Vectors</u> |
| b. Calculate the sum of two vectors, the difference of two vectors and a scalar multiple of a vector using column vectors (including algebraic terms) | | Vectors 2 |
| c. Understand that 2a is parallel to a and twice its length, and that a is parallel to -a in the opposite direction | 628 - 636 | Vector proof |
| d. Find the length of a vector using Pythagoras' Theorem. | | |
| e. Solve geometric problems in 2D where vectors are divided in a given ratio | | |



| Recip | rocal and Exponential graphs (19a) | | |
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| a. | Recognise, sketch and interpret graphs of the reciprocal function with $x \neq 0$ | 300 - 302 | <u>Sketch</u> |
| b. | Recognise, sketch and interpret graphs of exponential functions y = kx for positive values of k and integer values of x; | 800 - 801 | Other graphs |
| C. | Set up, solve and interpret the answers in growth and decay problems | | Speed graphs |
| d. | Estimate area under a quadratic or other graph by dividing it into trapezia | 891 – 893 | <u>opeeu grapns</u> |
| e. | Interpret the gradient of non-linear graph in curved distance-time and velocity-time graphs calculating speed, distance and acceleration | 889 | |
| f. | Interpret the gradient of a linear or non-linear graph in financial contexts and in real-life contexts | 884 - 885 | |
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| Summer Term | | |
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| The examination for this course is in this term. Paper 1, which is non-calculator is around the end of May. Papers 2 and 3 are calculator papers. Students will have completed at least 1 mock as well as several past papers and these highlight areas to improve as well as improving exam technique. | | |
| Outline of Key Learning | Unit Code | |
| Exam technique & practice | | |
| Revisit prior knowledge and apply to exam questions. Beflect on areas of weakness and improve them | ALL | |